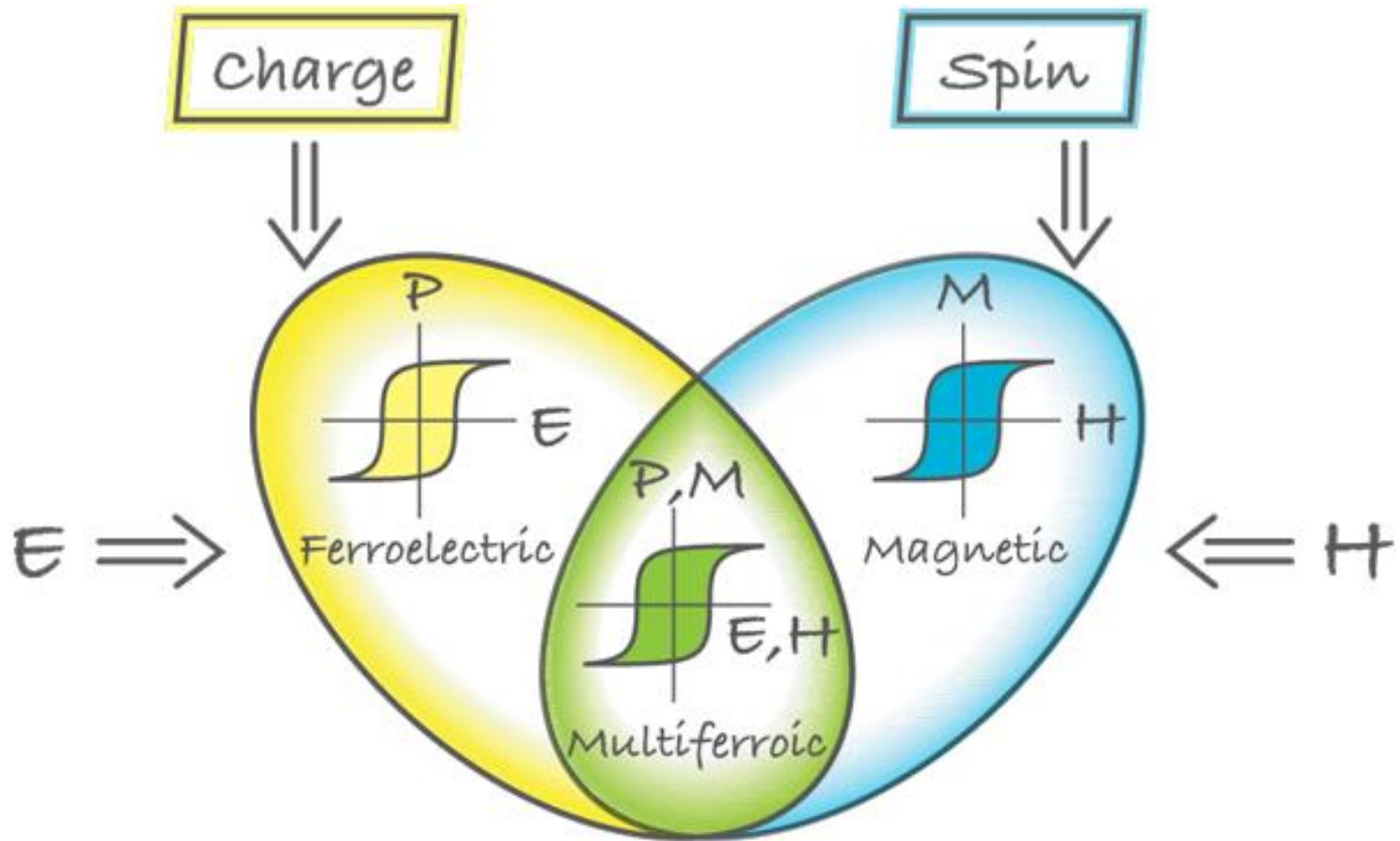

Manganiti s uređenjem naboja: ac i dc transportna svojstva

Vanja Marić
Fizički odsjek, PMF, Zagreb

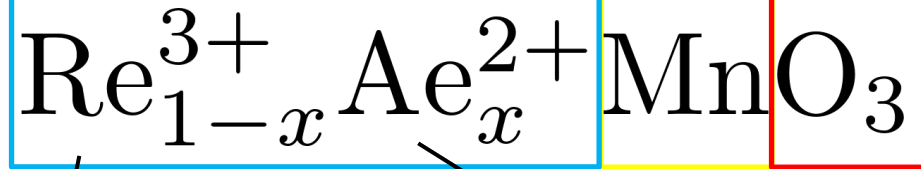
mentor: dr. sc. Tomislav Ivek
Institut za fiziku, Zagreb

27. siječanj 2017.

Feroici i multiferroici



Manganiti

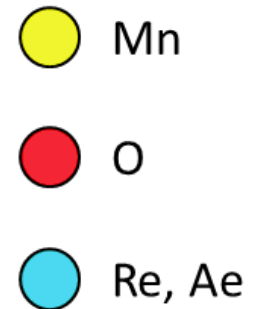
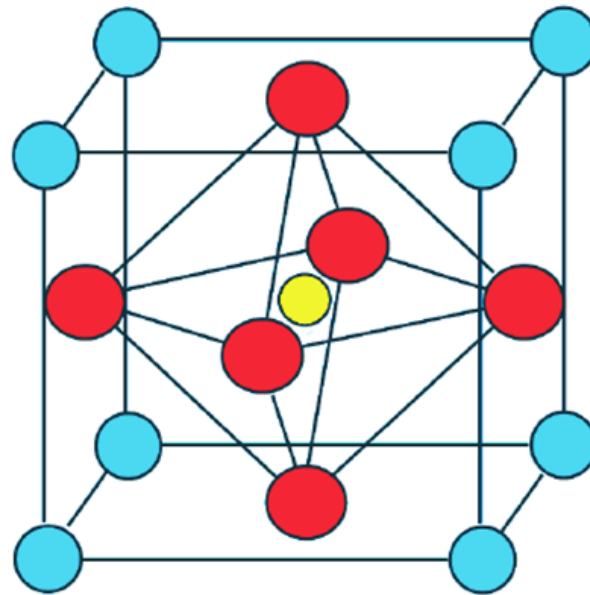


rijetki zemni metal

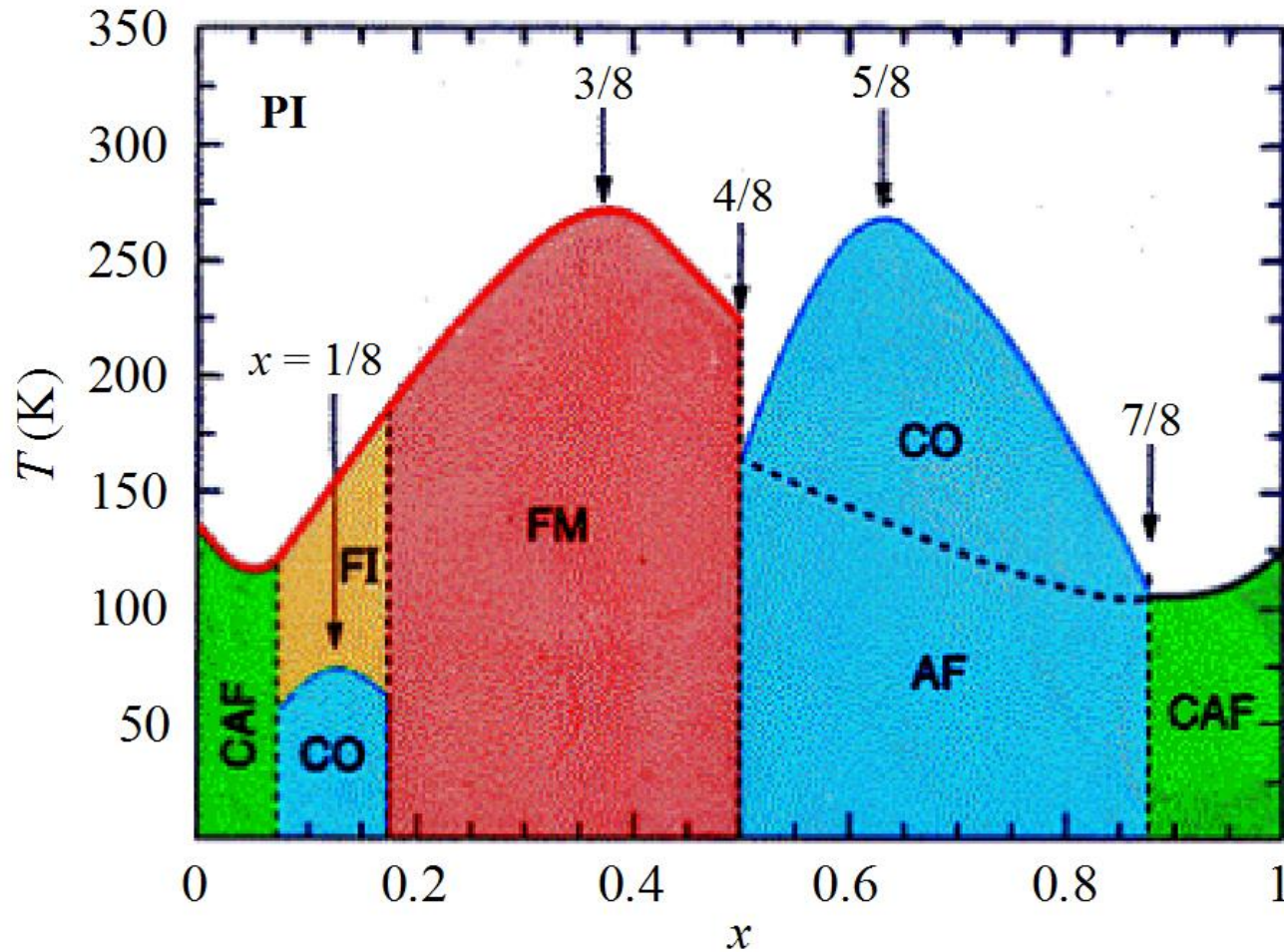
zemnoalkalijski metal

- 1950-e: istovremeno različita uređenja
- 1990-e: kolosalni magnetootpor

perovskitna
kristalna struktura

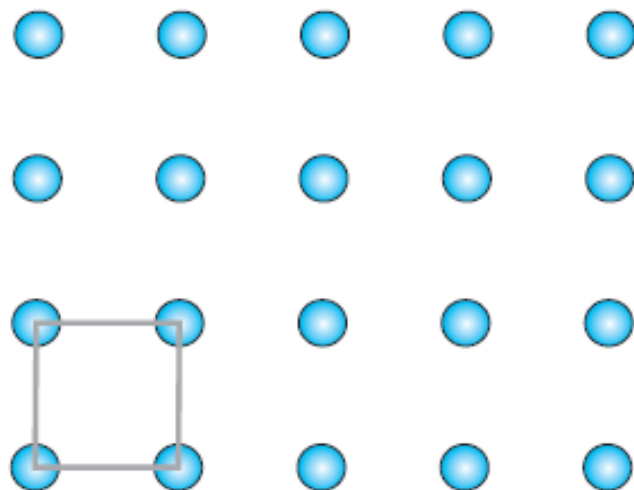


$\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$

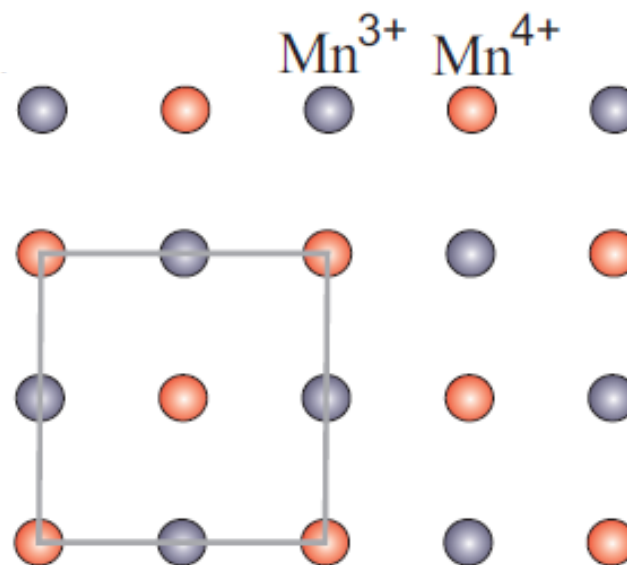


Fazni dijagram

Uređenje naboja



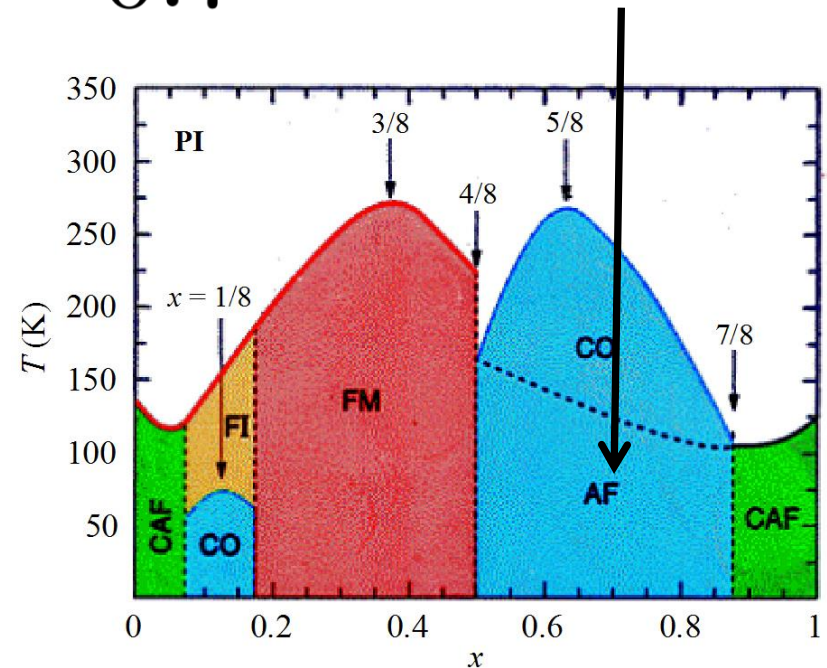
nema uređenja naboja



uređenje naboja



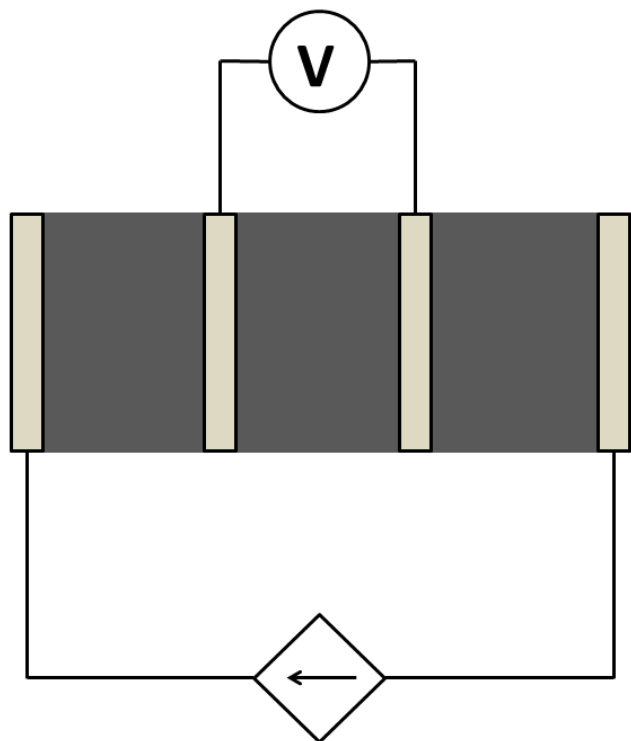
- uređenje naboja
- antiferomagnetizam



uređenje naboja \Rightarrow feroelektricitet?

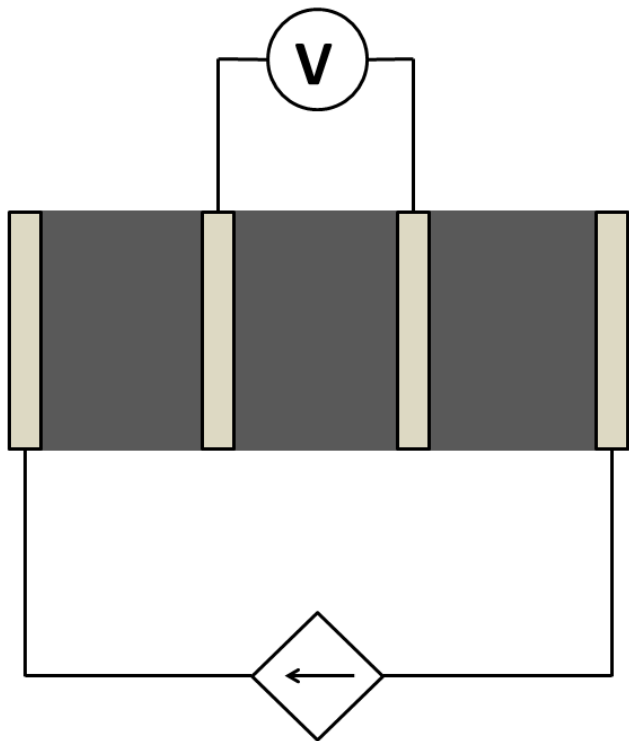
feroelektricitet
+
antiferomagnetizam \Rightarrow multiferoik?

Mjerenje otpora

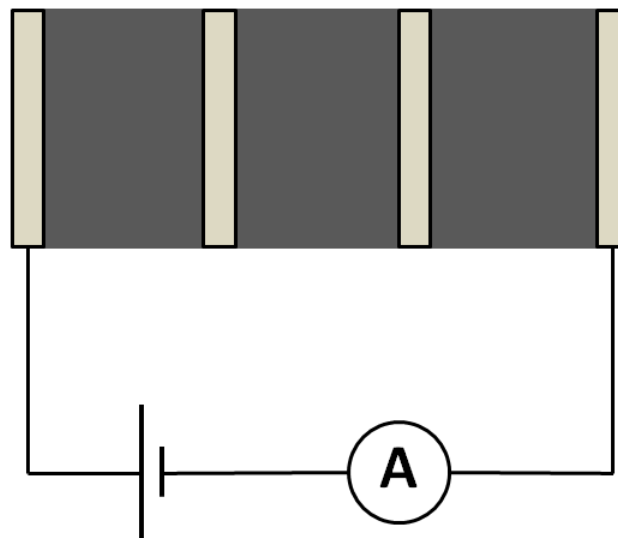


metoda četiri
kontakta

Mjerenje otpora



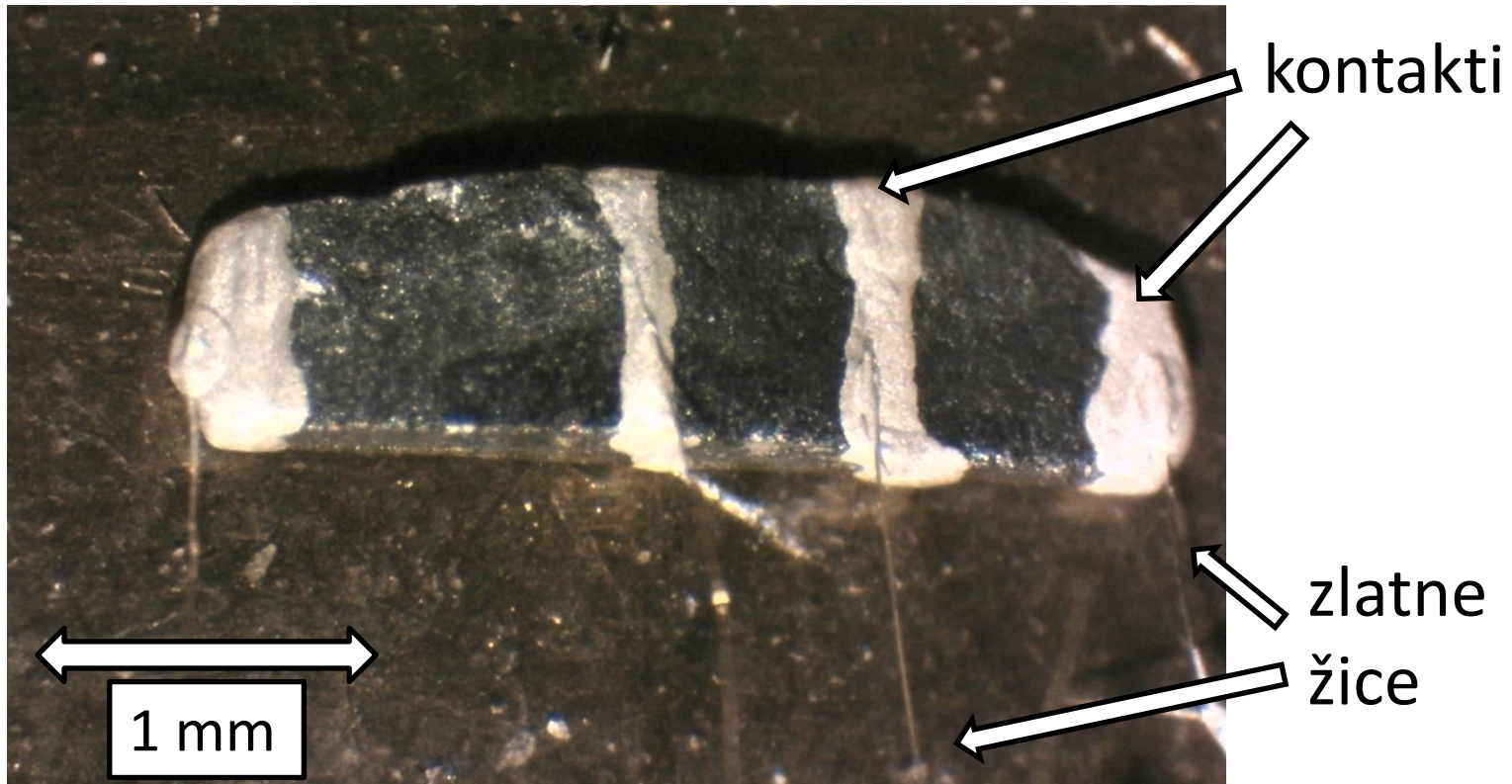
metoda četiri
kontakta



metoda dva
kontakta

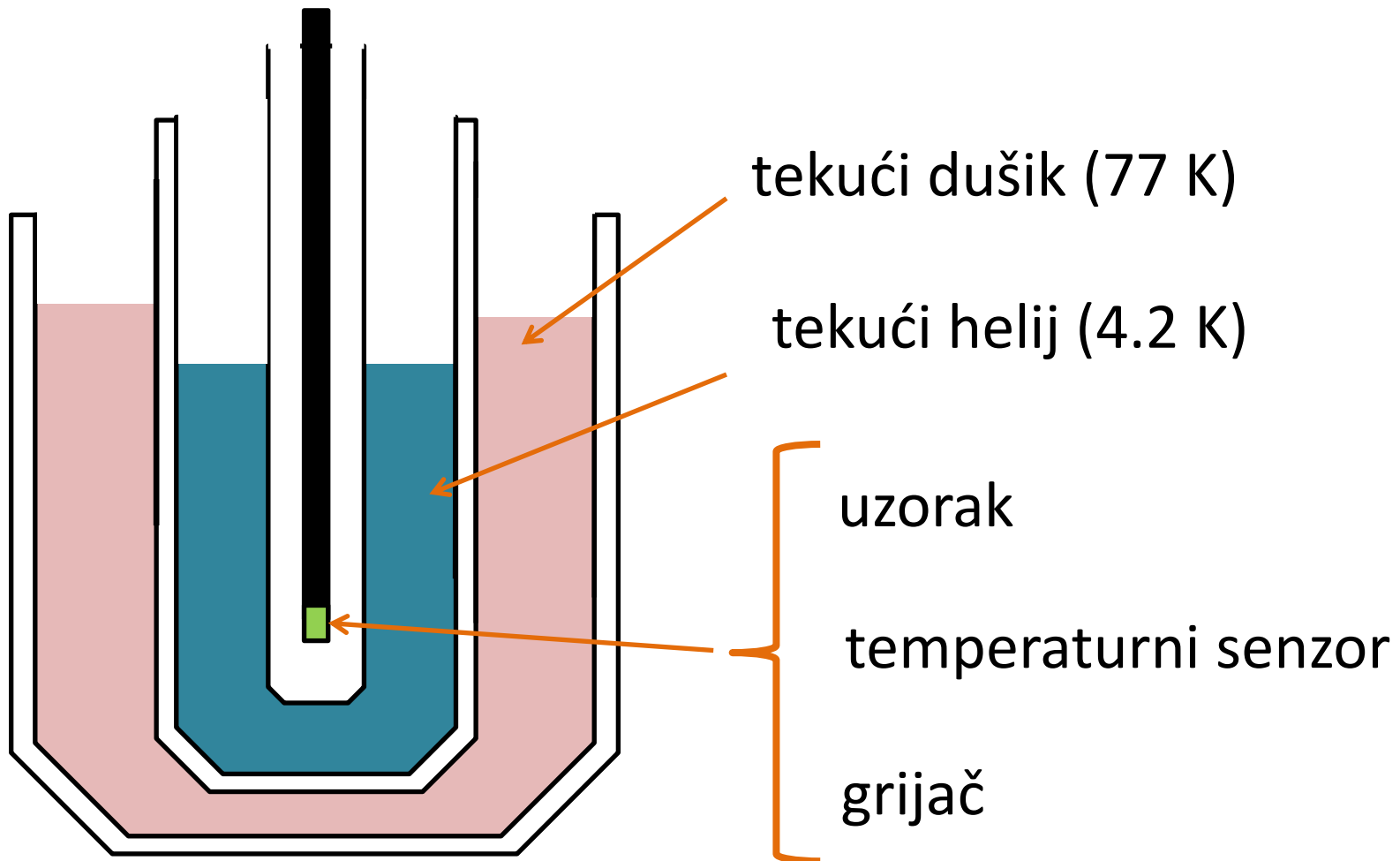
Uzorak

- polikristalna keramika $\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$, $x = 0.7$
- anularni kontakti od vodljive srebrne paste

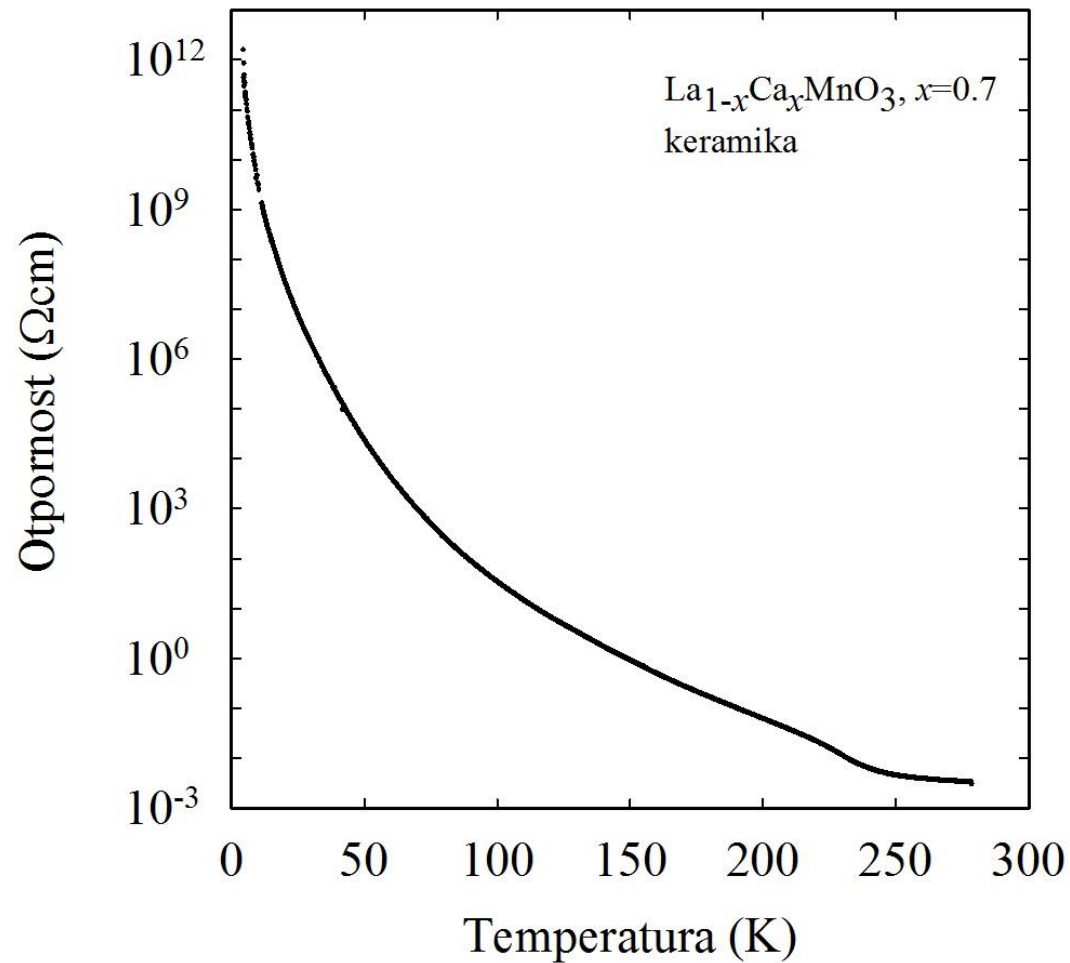


Kriostat

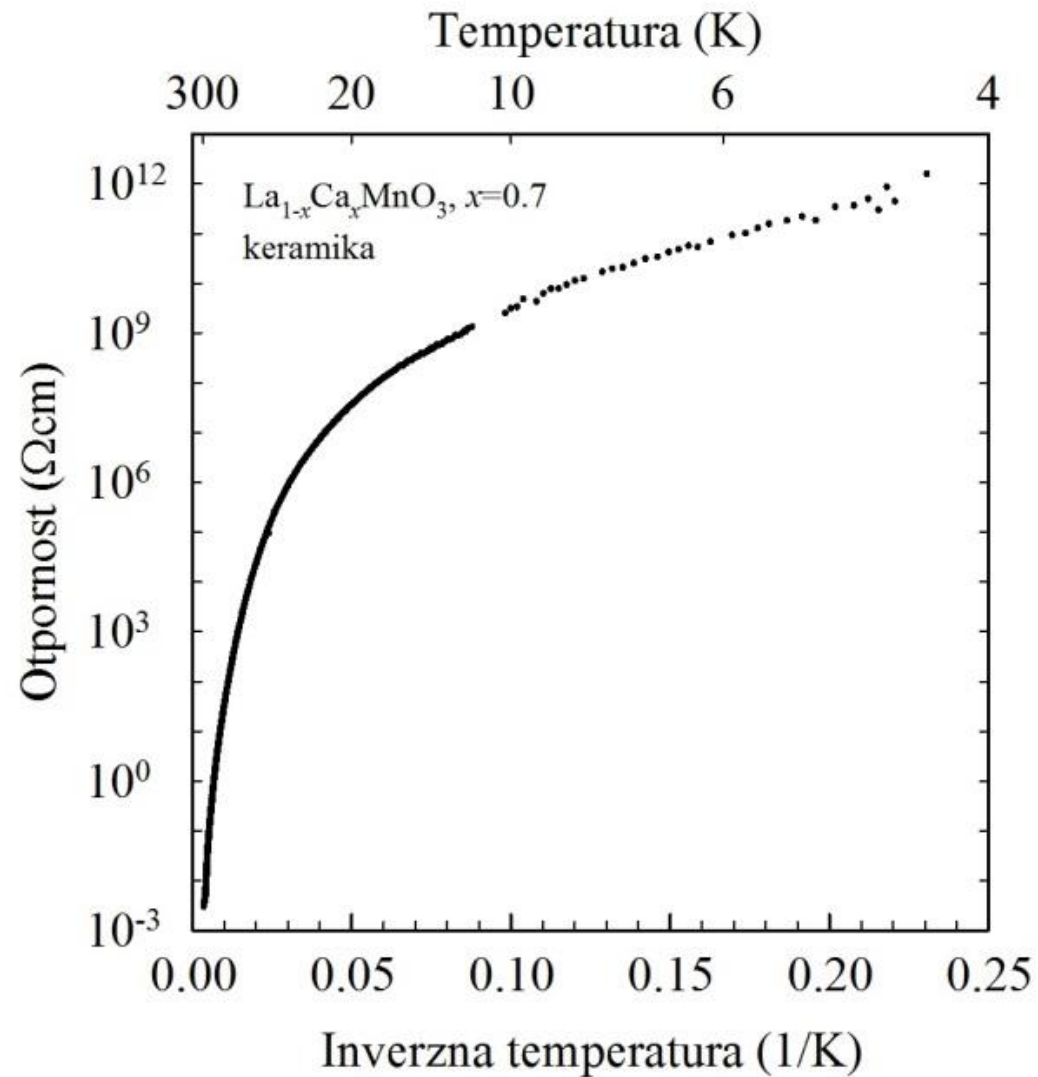
- hlađenje uzorka do 4.2 K



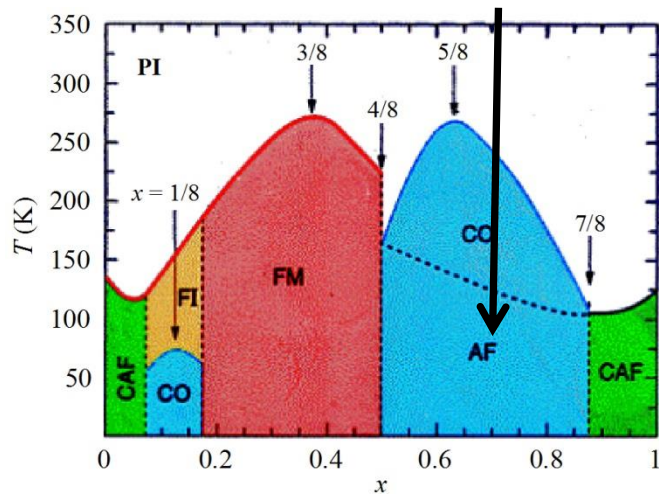
Otpornost



Otpornost

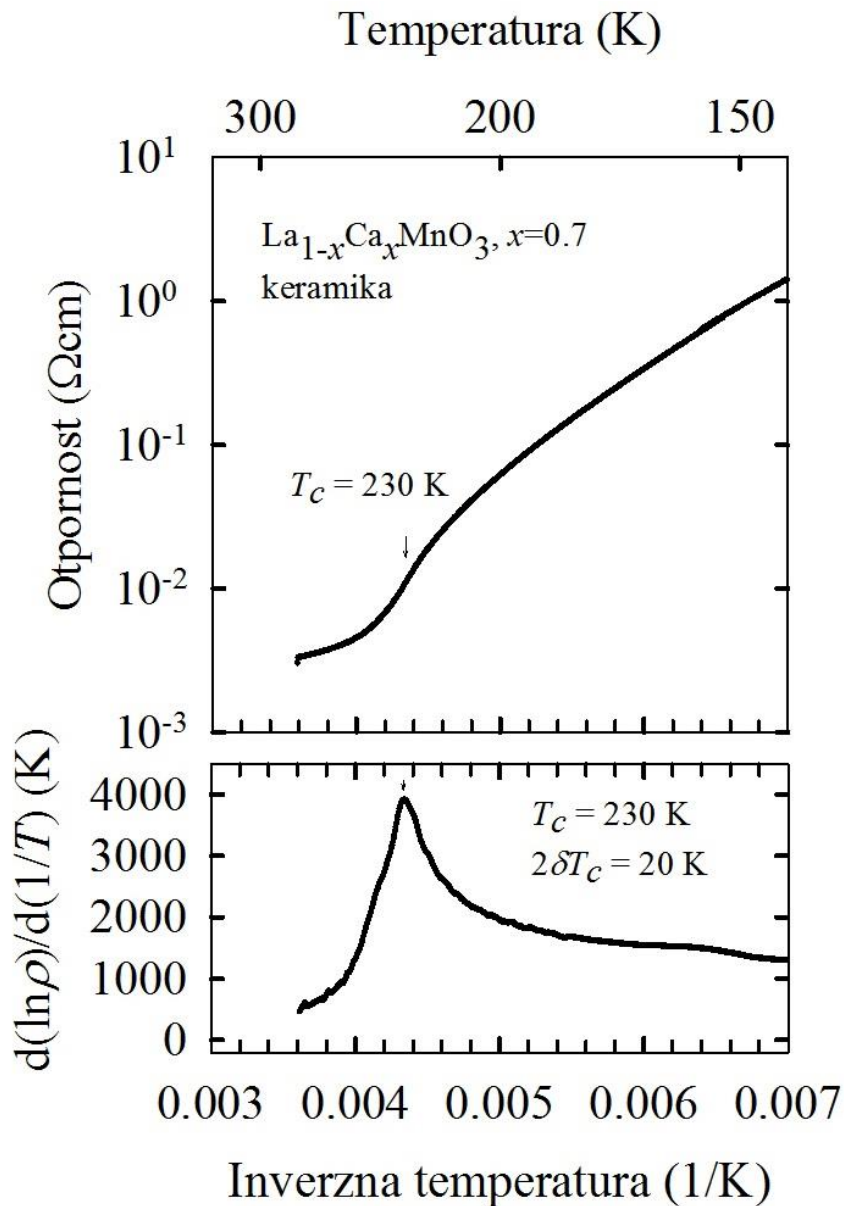


Otpornost

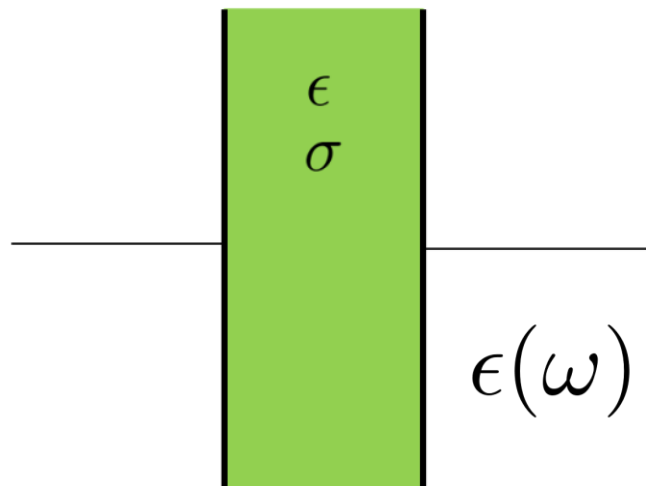


Mogući uzroci
širine vrha:

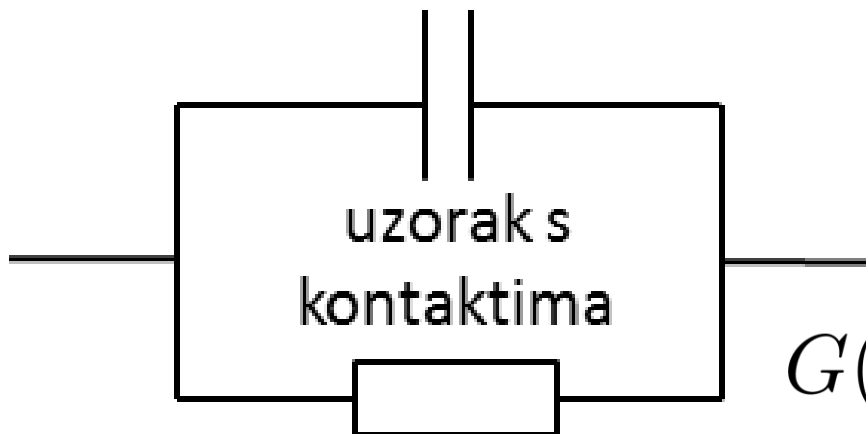
- polikristal
- nehomogeno supstituiranje



Mjerenje kapaciteta



$$\epsilon(\omega) = \epsilon'(\omega) - i\epsilon''(\omega) = \frac{\sigma(\omega) - \sigma_0}{i\omega\epsilon_0}$$

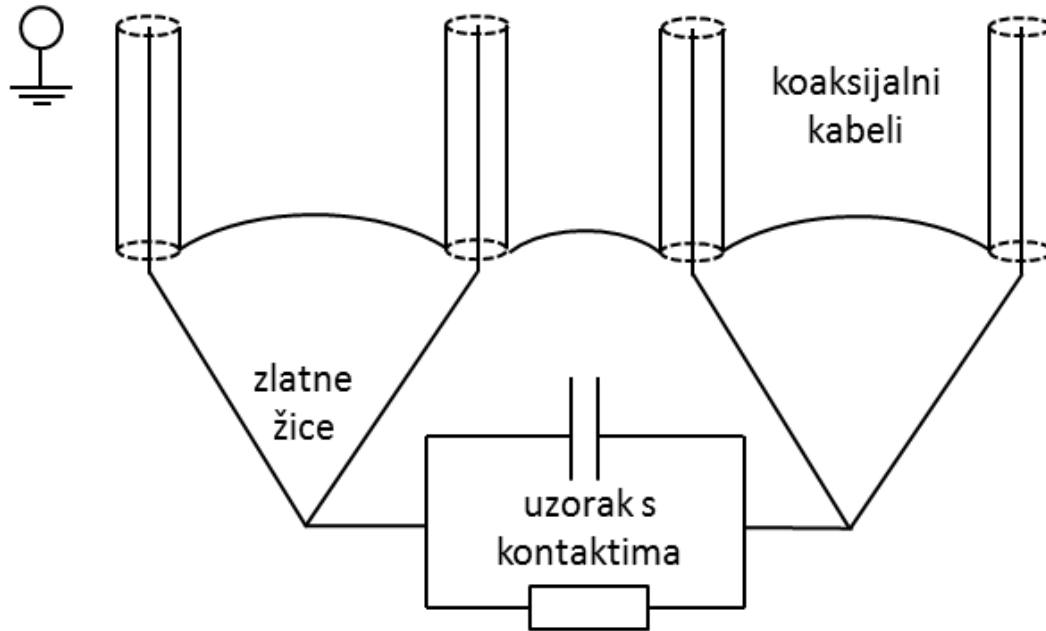


admitancija $Y = \frac{1}{Z}$

$$Y = G + iB$$

$$G(\omega) = \frac{1}{R(\omega)}, \quad B(\omega) = \omega C(\omega)$$

LCR metar



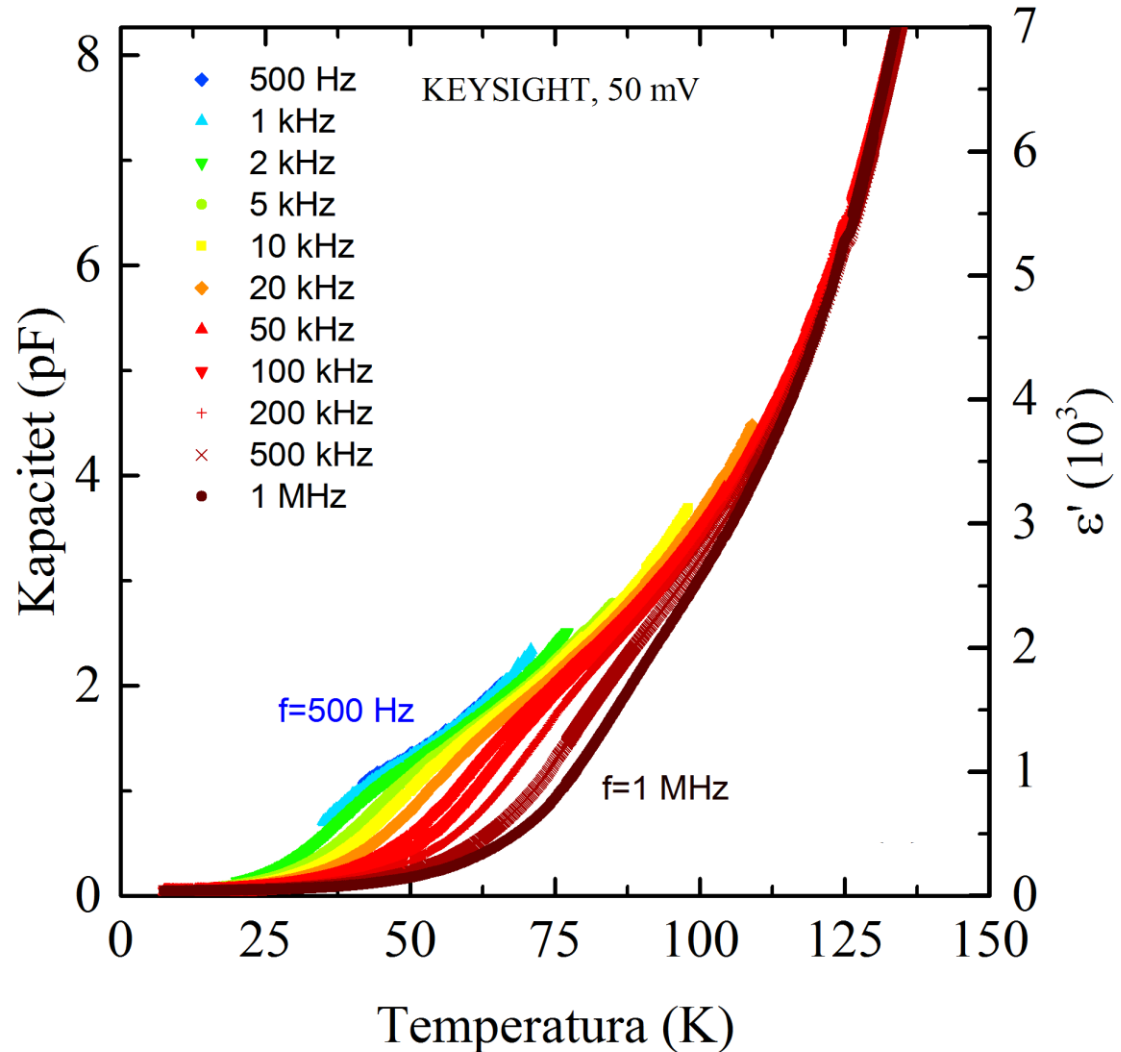
LCR metar
20 Hz – 1 MHz



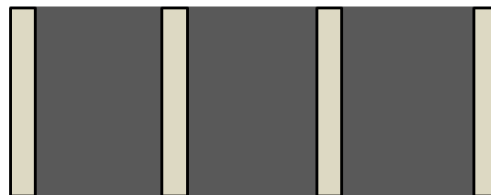
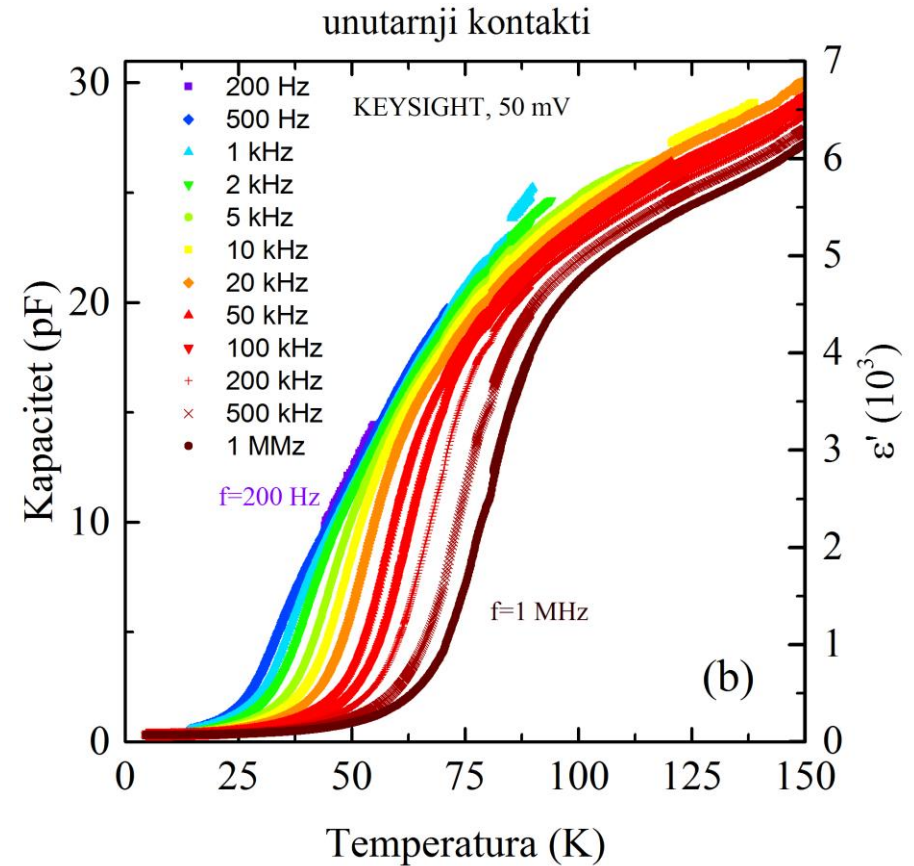
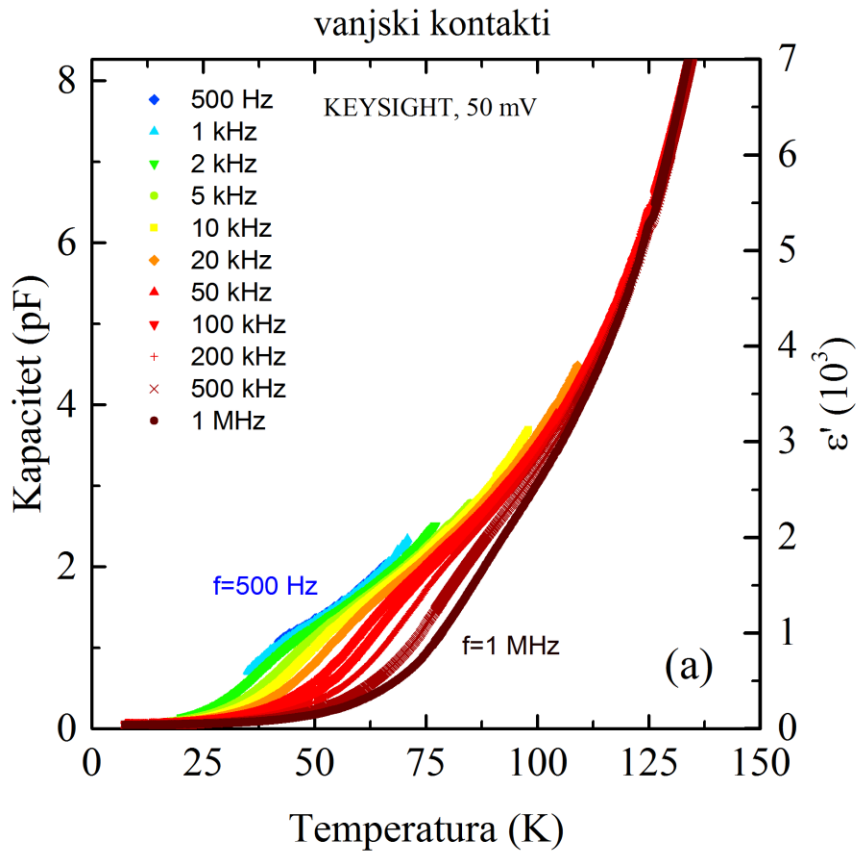
admitancija $Y = \frac{1}{Z}$

Mjerenje kapaciteta

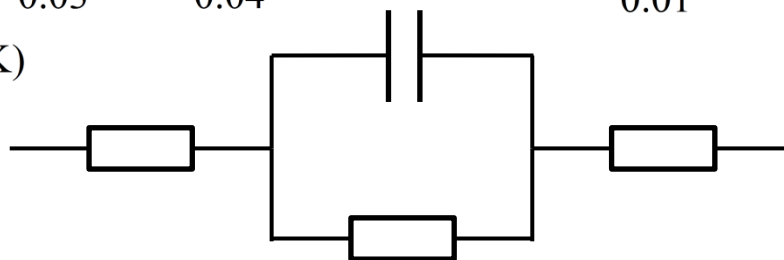
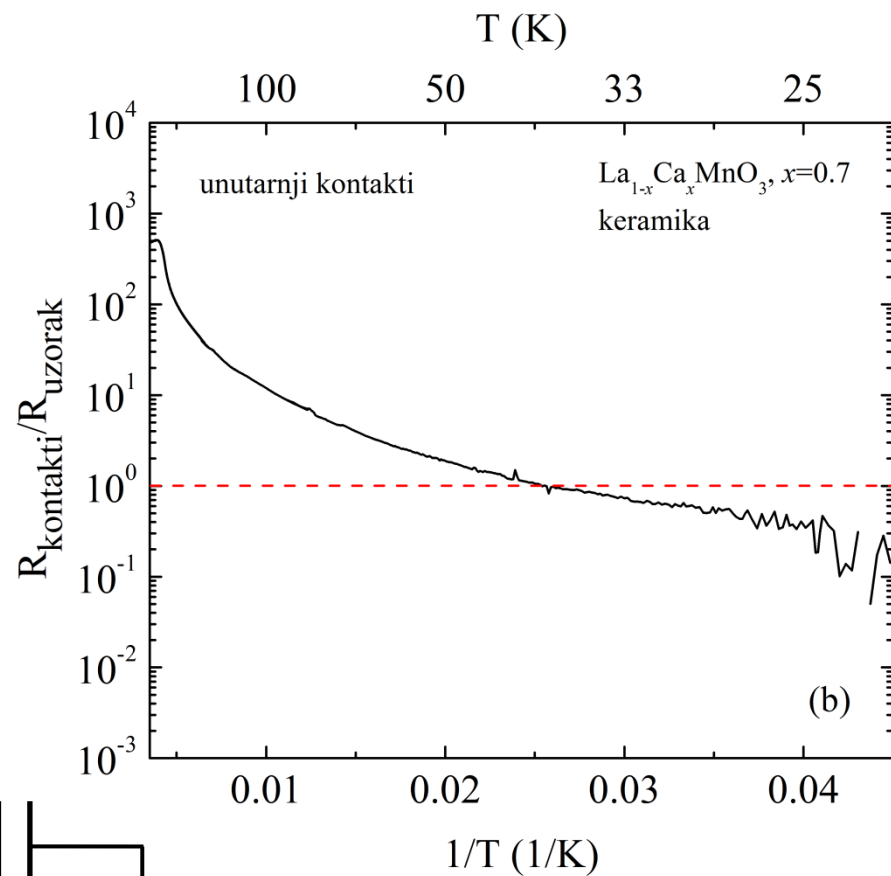
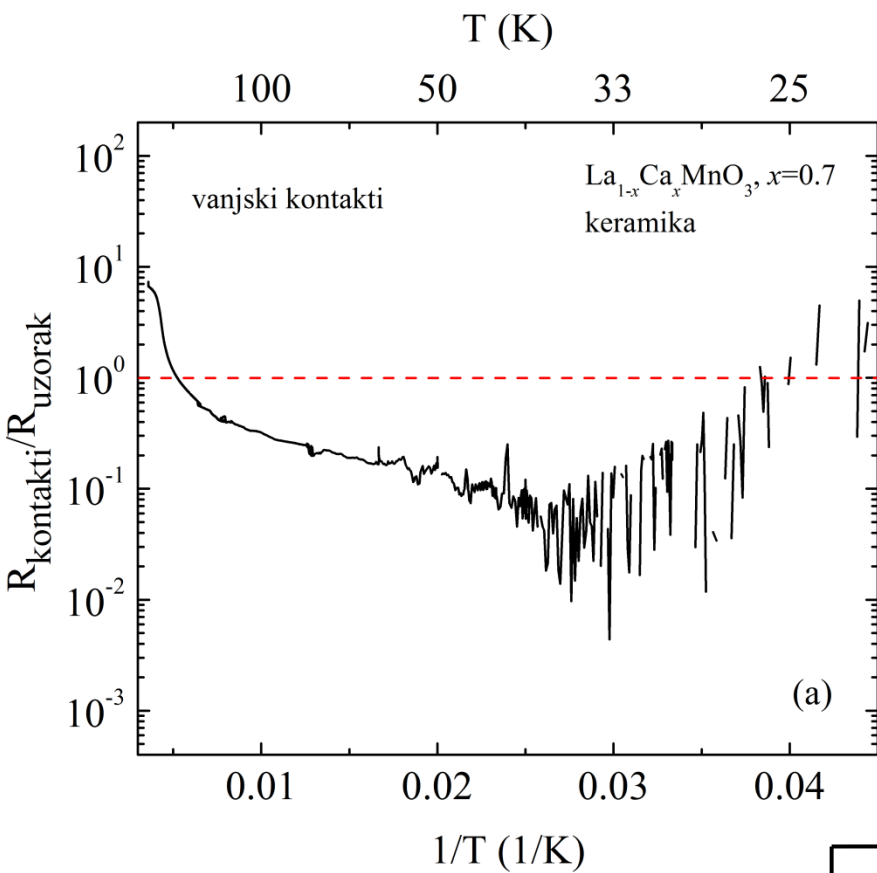
$$\epsilon' = \frac{l}{S} \frac{C}{\epsilon_0}$$



Utjecaj kontakata?



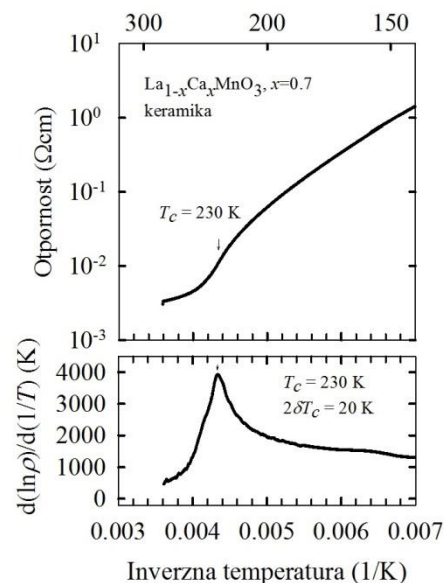
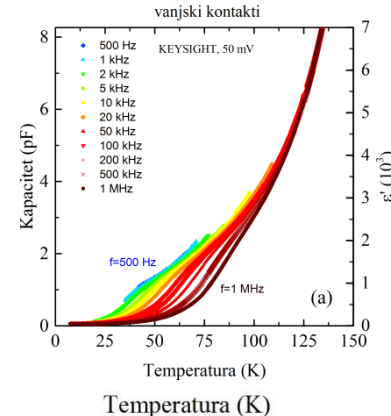
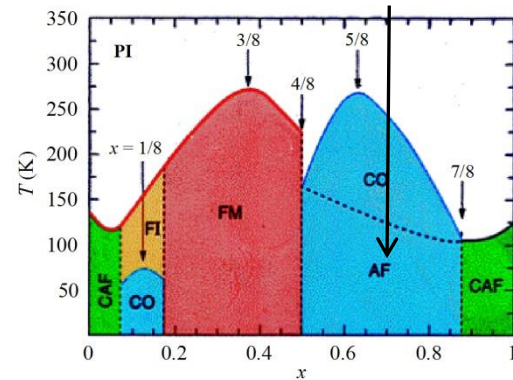
Otpor kontakata



Zaključak



- fazni prijelaz na 230 K – uređenje naboja
- frekventna disperzija dielektrične funkcije ϵ'
– karakteristično za relaksorske feroelektrike
- dodatna provjera:
 - s kontaktima od drugog materijala
 - s uzorkom koji ima zrna keramike
dručkije veličine



Zahvale

Zahvaljujem se svom mentoru dr. sc. Tomislavu Iveku na uloženom trudu i prenesenom znanju pri izradi ovog seminara.

Literatura

<https://physics.aps.org/articles/v2/20>

N. A. Spaldin et al. *Physics Today* **63**(10), 38 (2010)

N. Mathur et al. *Physics Today* **56**(1), 25 (2003)

E. Dagotto et al. *Physics Reports* 344 (2001)

J. de Groot (2012). *Charge, spin and orbital order in the candidate multiferroic material LuFe_2O_4* (Doktorska disertacija).

J. van den Brink et al. *J. Phys.: Condens. Matter* **20** (2008) 434217

Neil W. Ashcroft, N. David Mermin *Solid State Physics*
Brooks/Cole 1976

HP 4284A precision LCR meter operation manual

T. Ivek (2004). *Val gustoće naboja u kvazi-jednodimenzionalnim kupratima* (Diplomski rad).

M. Pinterić et al. *Phys. Rev. B* **90**, 195139 (2014)

Hvala na pažnji!

Dodatak - dielektrična funkcija

$$\nabla \times \mathbf{H}(t) = \mathbf{j}_f(t) + \frac{\partial \mathbf{D}(t)}{\partial t} \quad \mathbf{j}_f(t) = \sigma_0 \mathbf{E}(t)$$

$$\mathbf{H}(t) = \mathbf{H}e^{i\omega t}, \quad \mathbf{E}(t) = \mathbf{E}e^{i\omega t}, \quad \mathbf{D}(t) = \epsilon_0 \epsilon(\omega) \mathbf{E}e^{i\omega t}$$

$$\nabla \times \mathbf{H}(t) = (\sigma_0 + i\omega\epsilon_0\epsilon(\omega))\mathbf{E}(t)$$

$$\Rightarrow \sigma(\omega) = \sigma_0 + i\omega\epsilon_0\epsilon(\omega)$$

$$\epsilon(\omega) = \epsilon'(\omega) - i\epsilon''(\omega) = \frac{\sigma(\omega) - \sigma_0}{i\omega\epsilon_0}$$

Dodatak - dielektrična funkcija

$$\sigma = \frac{l}{S} Y$$

$$Y = G + iB$$

$$G(\omega) = \frac{1}{R(\omega)}, \quad B(\omega) = \omega C(\omega)$$

$$\epsilon' = \frac{l}{S} \frac{C}{\epsilon_0}$$