

Prvo predavanje (11. ožujka 2022.)

M. Orlić: Predavanja iz Dinamike obalnog mora

Dinamika obalnog mora

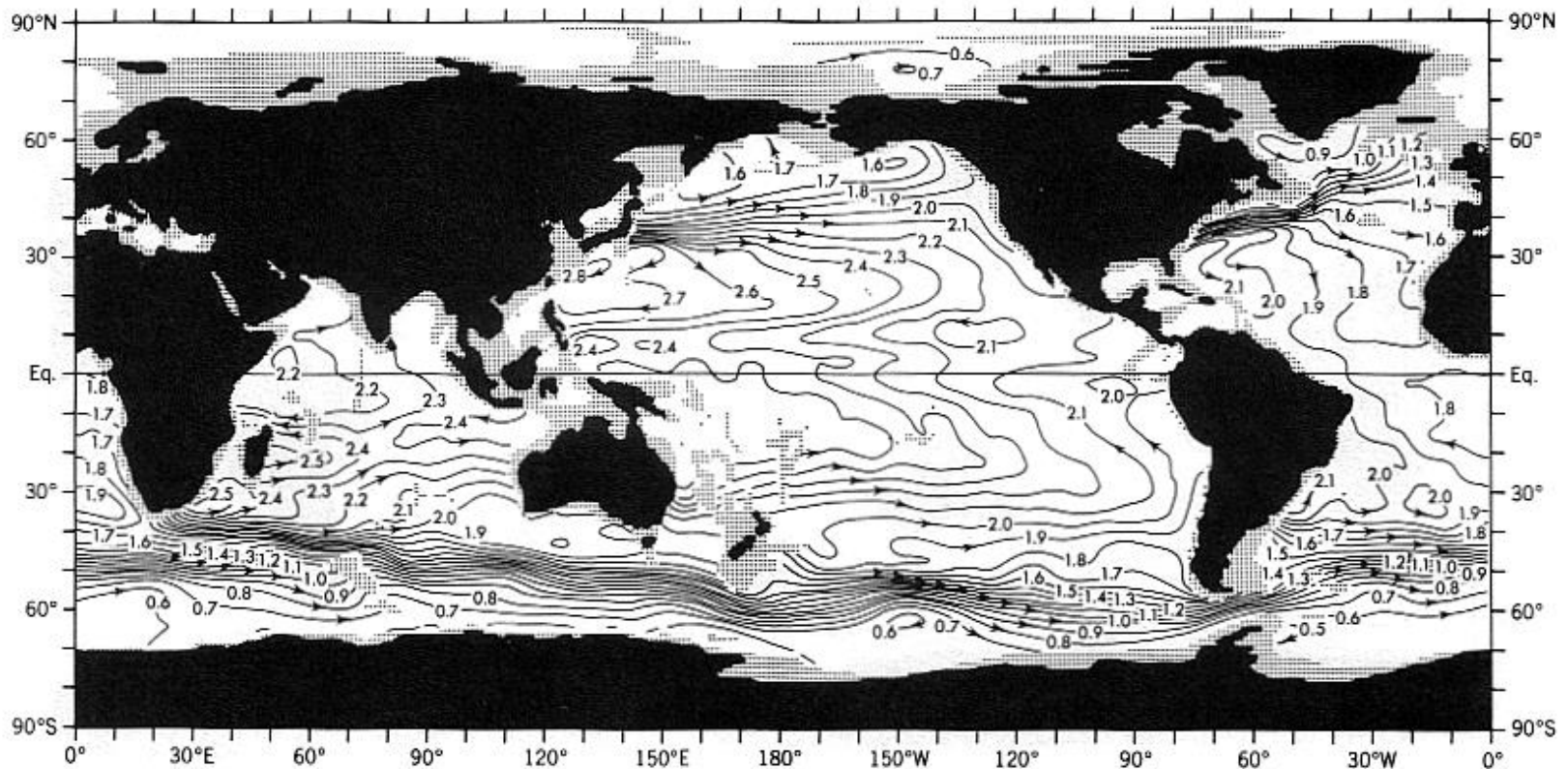
Prisilna i slobodna gibanja uzrokovana vjetrom

1. Vjetrovno strujanje u oceanima
 1. Uvod
 2. Sverdrupov model
 3. Stommelov model
 4. Munkov model
2. Vjetrovno strujanje u okrajnim morima
 1. Uvod
 2. Model nizozemske škole
 3. Model ruske škole
 4. Kasniji Ekmanov model
3. Seši u okrajnim bazenima
 1. Uvod
 2. Adijabatski problem za pravokutni bazen
 3. Generiranje seša u pravokutnom bazenu
 4. Prigušenje seša u pravokutnom bazenu
 5. Seši u realističnom bazenu
4. Topografski Rossbyjevi valovi
 1. Uvod
 2. Valovi uz ravnu obalu
 3. Valovi u kružnom bazenu

1. Vjetrovno strujanje u oceanima

1.1. Uvod

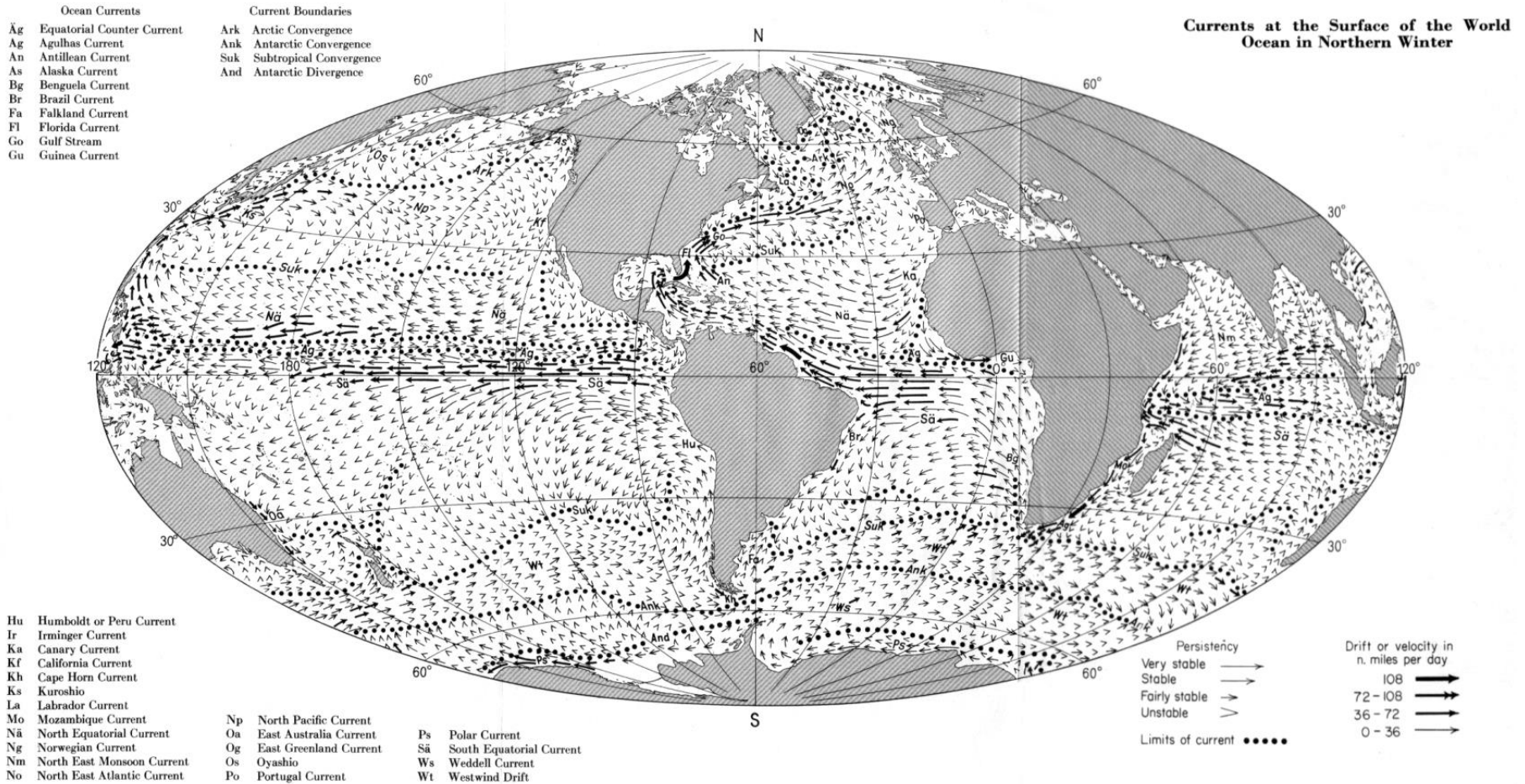
Površina oceana – klasična metoda dinamičkog računa



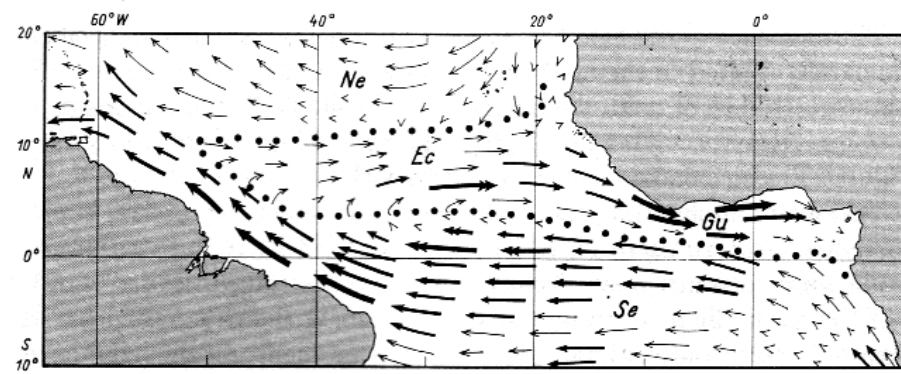
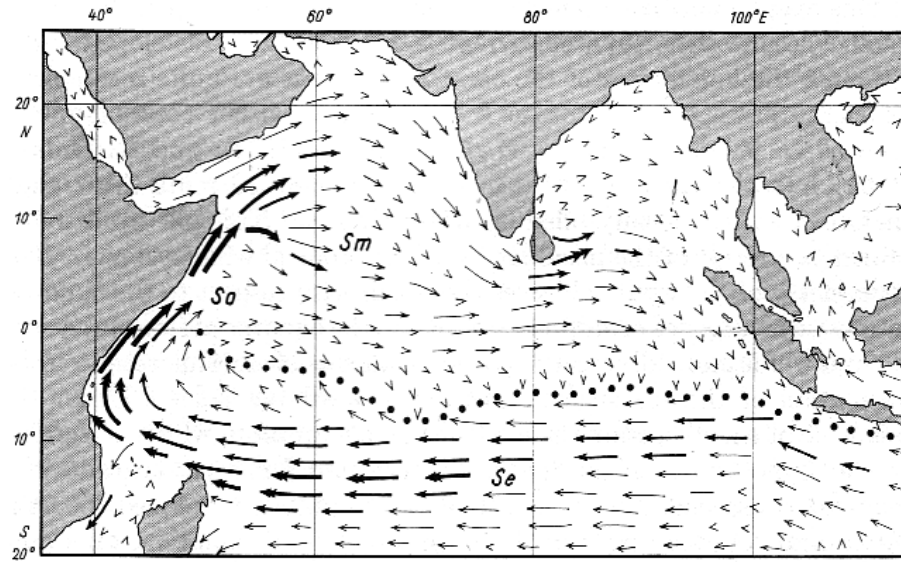
Levitus, 1982.

Površina oceana – podaci o zanošenju broda

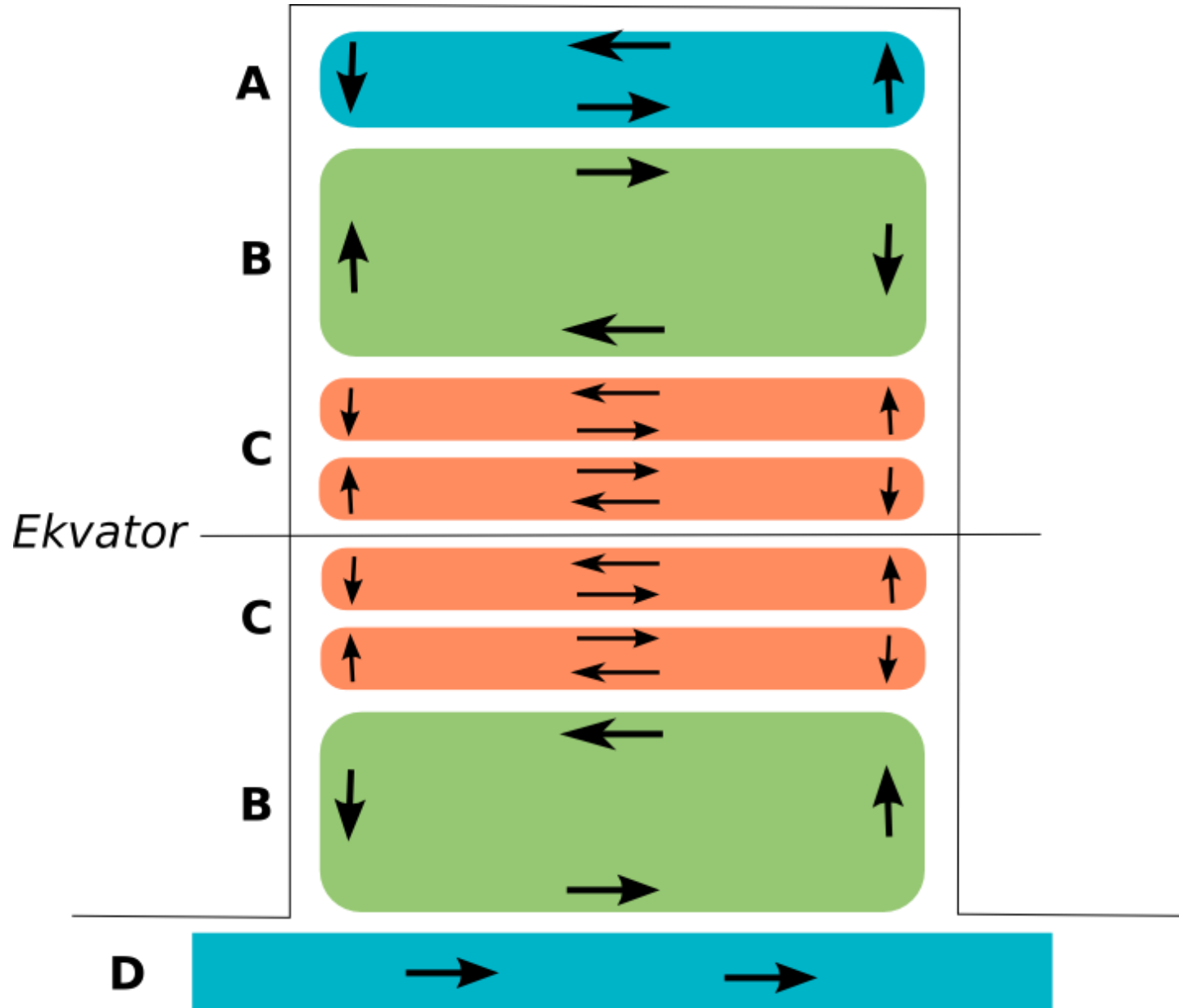
Zima



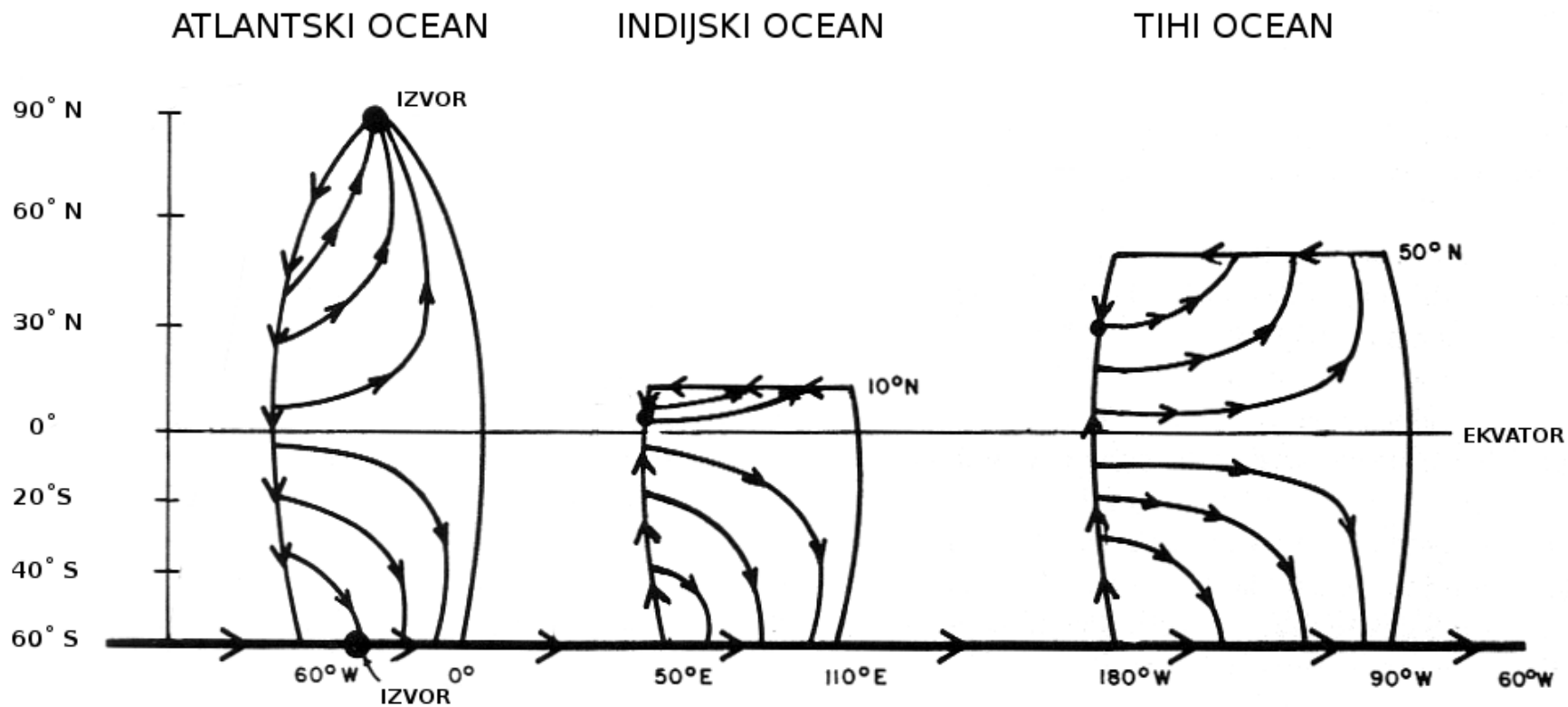
Ljeto



Površina oceana – shema

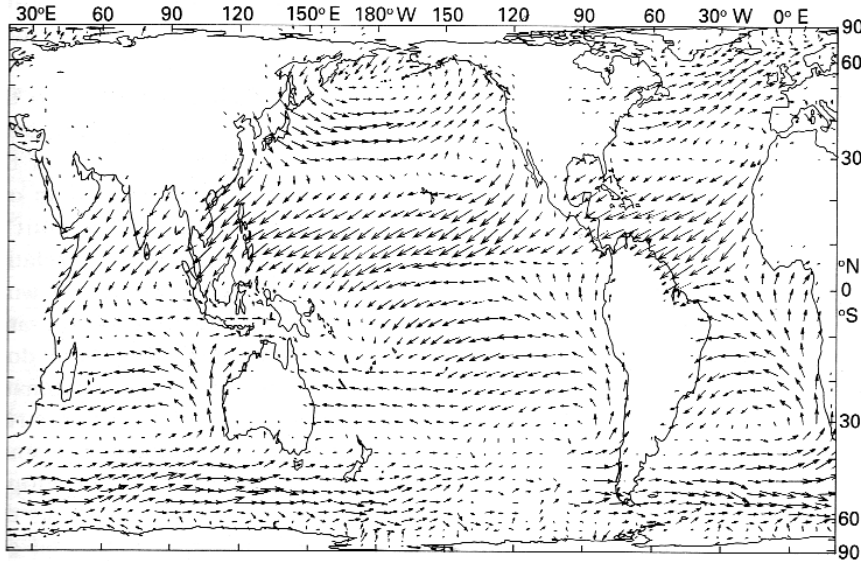


Dno oceana

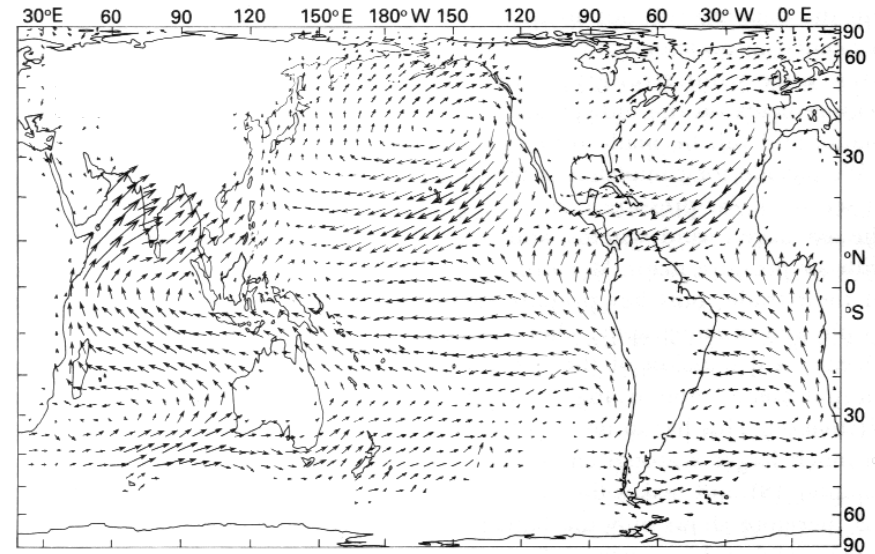


Dinamika – vjetar

Vjetar nad oceanima

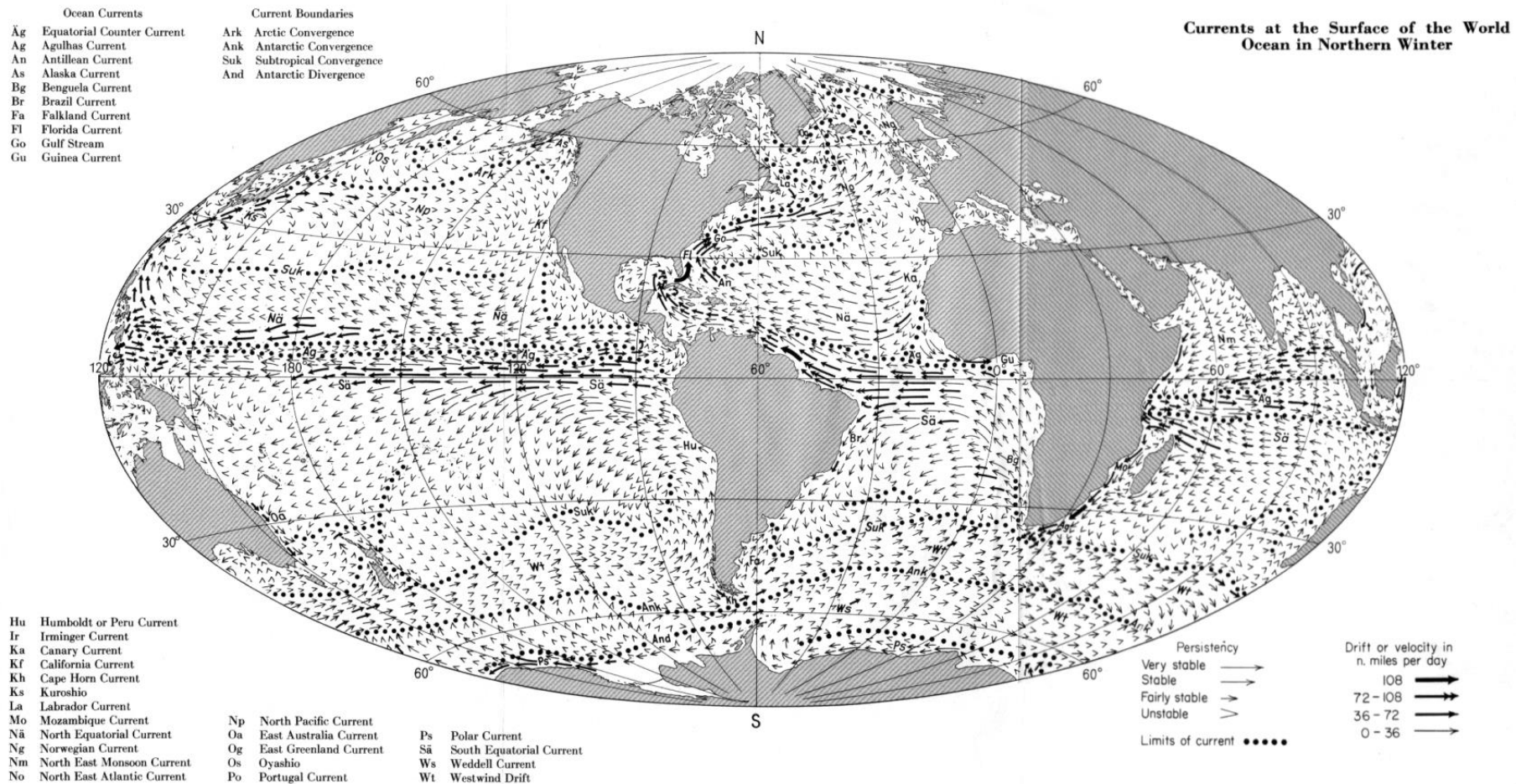


siječanj



srpanj

Površinske struje u oceanima

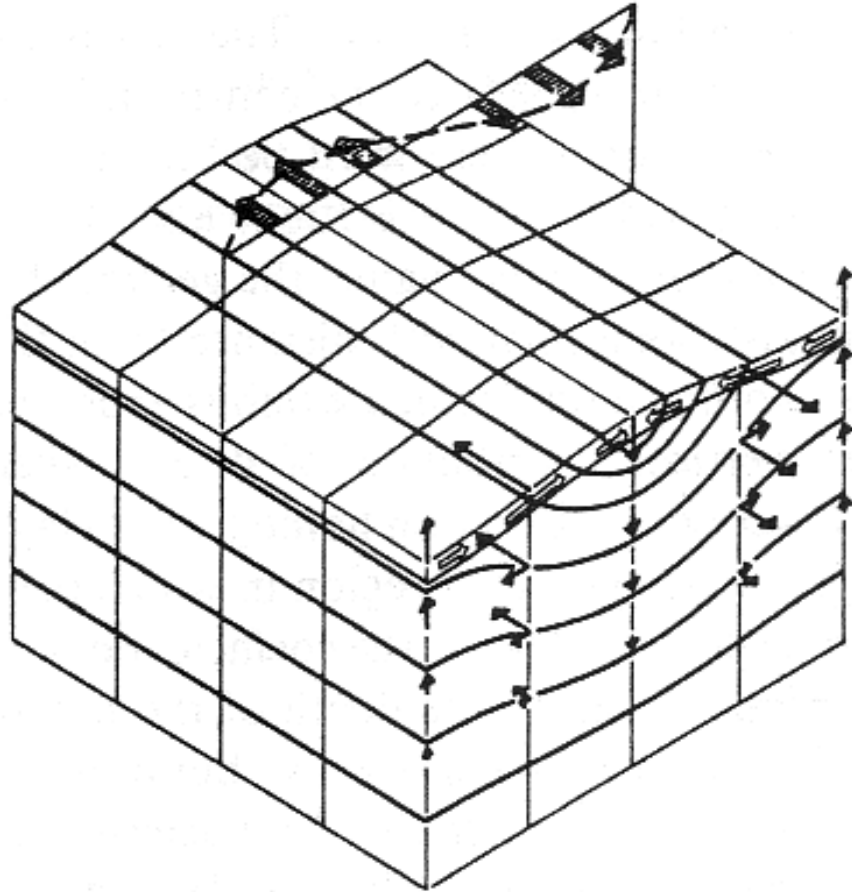


Dietrich, 1963.

Izvorni Ekmanov model



V. W. Ekman, 1905.

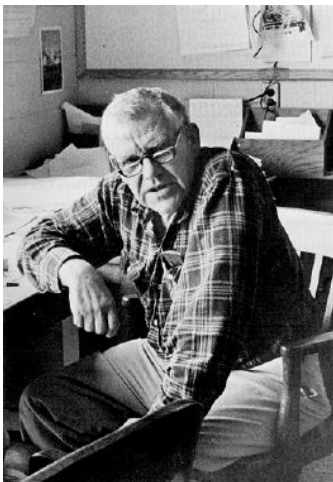


Stommel, 1957.

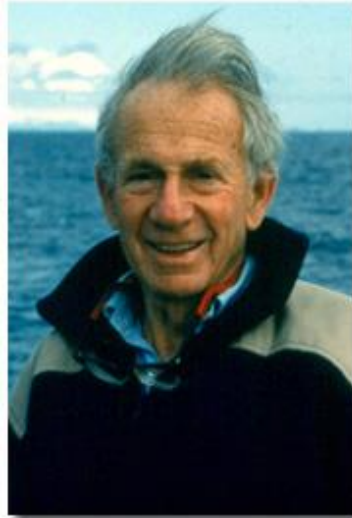
Kasniji analitički modeli



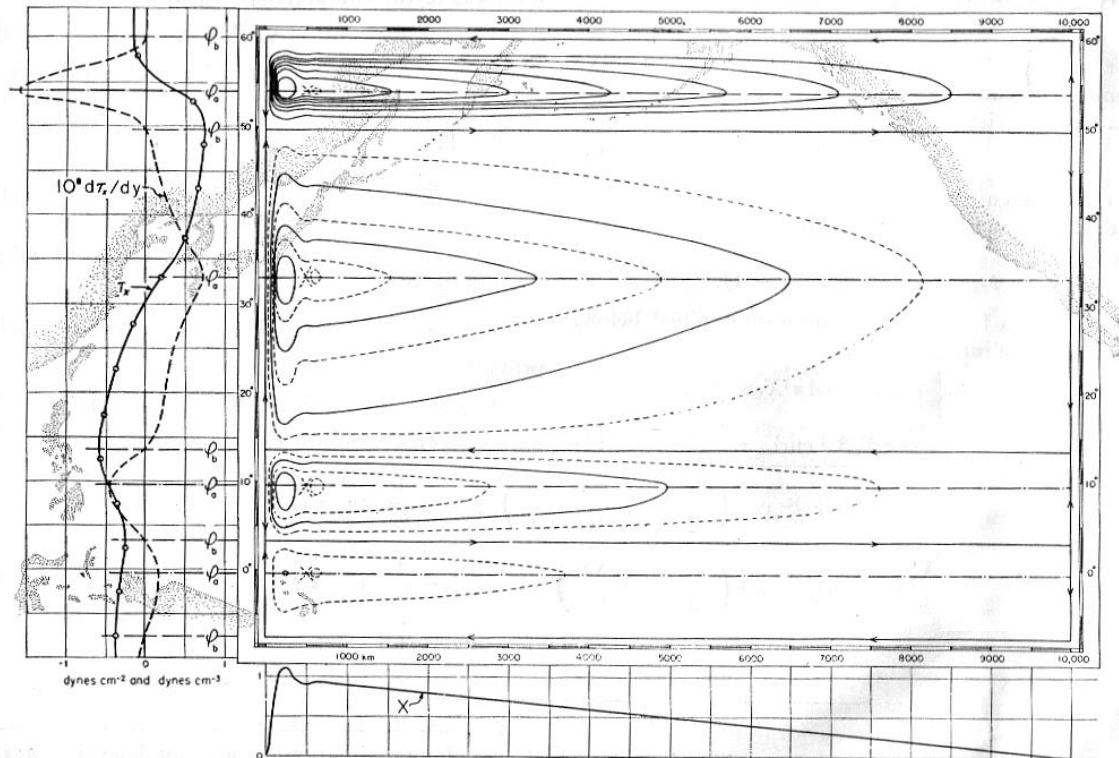
H. U. Sverdrup, 1947.



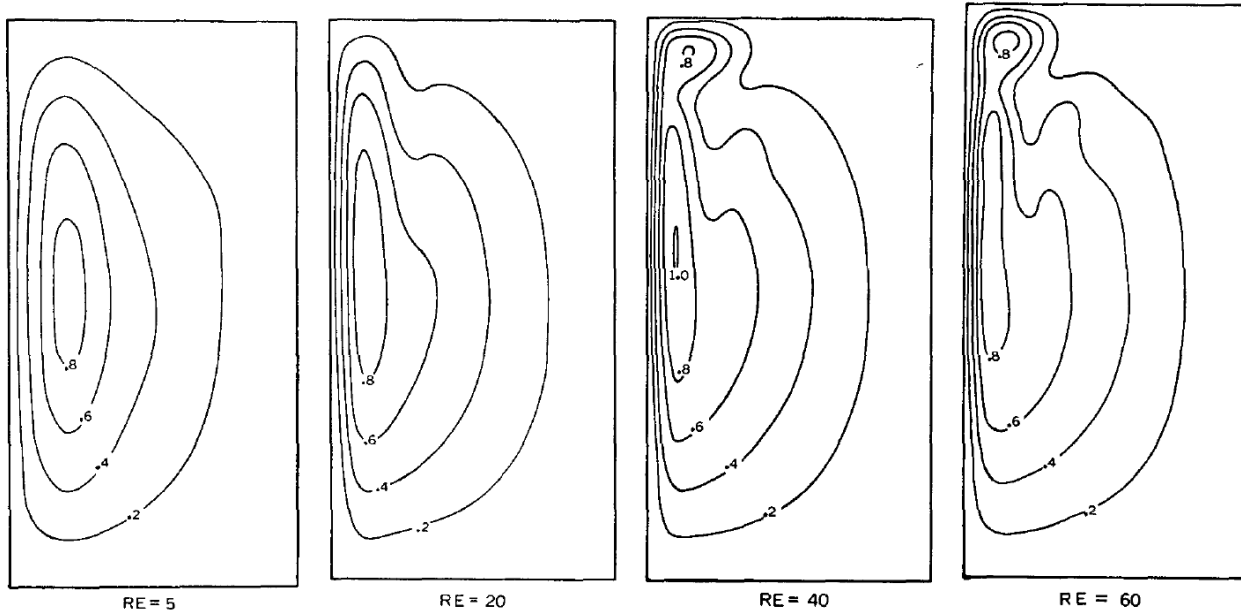
H. Stommel, 1948.



W.H. Munk, 1950.



Počeci numeričkog modeliranja



K. Bryan, 1963.

1.2. Sverdrupov model (H. U. Sverdrup, 1947)

Početne rovnice

$$\frac{\partial p}{\partial x} = \rho f v + \frac{\partial}{\partial z} \left(A \frac{\partial u}{\partial z} \right)$$

$$\frac{\partial p}{\partial y} = -\rho f u + \frac{\partial}{\partial z} \left(A \frac{\partial v}{\partial z} \right)$$

$$\frac{\partial p}{\partial z} = -\rho g$$

$$\frac{\partial (\rho u)}{\partial x} + \frac{\partial (\rho v)}{\partial y} + \frac{\partial (\rho w)}{\partial z} = 0$$

Odnos barotropnog i baroklinog doprinosa gradijentu tlaka (posebno na dubini d)

$$d_z p = -g\rho dz \quad / \quad \int_{-h}^{\zeta} \implies p = p_a + g \int_{-h}^{\zeta} \rho dz, h = konst.$$

$$\frac{\partial p_a}{\partial x} = \frac{\partial p_a}{\partial y} = 0 \implies \frac{\partial p}{\partial x} = g \frac{\partial}{\partial x} \int_{-h}^{\zeta} \rho dz = g \int_{-h}^{\zeta} \frac{\partial \rho}{\partial x} dz + g\rho_{\zeta} \frac{\partial \zeta}{\partial x}$$

$$\frac{\partial p}{\partial y} = g \frac{\partial}{\partial y} \int_{-h}^{\zeta} \rho dz = g \int_{-h}^{\zeta} \frac{\partial \rho}{\partial y} dz + g\rho_{\zeta} \frac{\partial \zeta}{\partial y}$$

Jednadžbe gibanja i kontinuiteta nakon integracije duž vertikale

$$\frac{\partial}{\partial x} \int_{-d}^{\zeta} p dz - p_a \frac{\partial \zeta}{\partial x} - p_{-d} \frac{\partial d}{\partial x} = f M_y + \tau_x$$

$$\frac{\partial}{\partial y} \int_{-d}^{\zeta} p dz - p_a \frac{\partial \zeta}{\partial y} - p_{-d} \frac{\partial d}{\partial y} = -f M_x + \tau_y$$

$$\frac{\partial M_x}{\partial x} + \frac{\partial M_y}{\partial y} = 0$$

Poprečnim deriviranjem dobiva se
Sverdrupova enačba:

$$\frac{df}{dy} M_y + \left(\frac{\partial \tau_x}{\partial y} - \frac{\partial \tau_y}{\partial x} \right) = 0$$

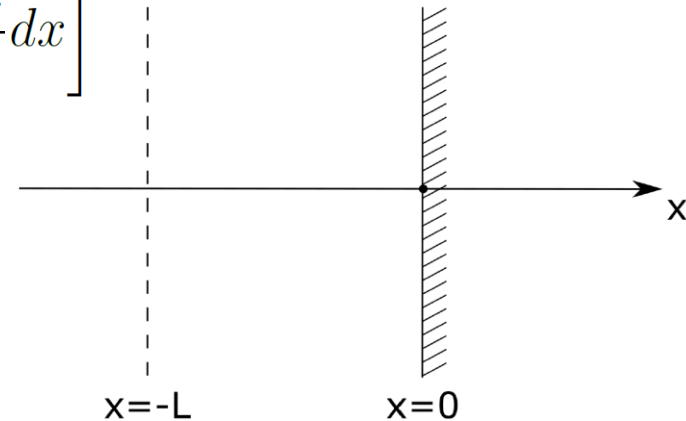
Iz Sverdrupove enačbe
neposredno sledi:

$$M_y = - \frac{\partial \tau_x / \partial y}{\beta} = - \frac{\partial \tau_x}{\partial y} \frac{R}{2\omega \cos \varphi}$$

Jednadžba kontinuiteta i prethodno rješenje daju:

$$\frac{\partial M_x}{\partial x} = -\frac{\partial M_y}{\partial y} = \frac{\partial^2 \tau_x}{\partial y^2} \frac{R}{2\omega \cos \varphi} + \frac{\partial \tau_x}{\partial y} \frac{\sin \varphi}{2\omega \cos^2 \varphi}$$

$$M_x \Big|_{-L}^0 = \frac{1}{2\omega \cos \varphi} \left[R \int_{-L}^0 \frac{\partial^2 \tau_x}{\partial y^2} dx + \tan \varphi \int_{-L}^0 \frac{\partial \tau_x}{\partial y} dx \right]$$



$$M_x(x = -L) = -\frac{L}{2\omega \cos \varphi} \left[R \left\langle \frac{\partial^2 \tau_x}{\partial y^2} \right\rangle + \tan \varphi \left\langle \frac{\partial \tau_x}{\partial y} \right\rangle \right]$$

Dvije komponente transporta mase (tone po sekundi kroz vertikalnu plohu 1 x 1000 m; R. O. Reid, 1948)

